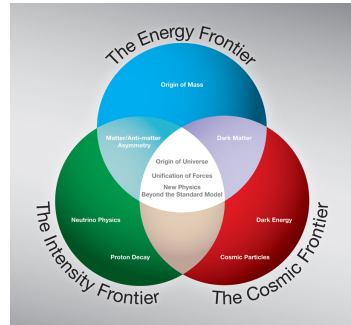


Lecture 2: Detectors and Accelerators (Part I)

Fall 2016
August 30, 2016

Reminder: The 3 frontiers

- Energy Frontier
 - ▶ Use high energy colliders to discover new particles and new interactions and directly probe the fundamental forces
- Intensity Frontier
 - ▶ Use intense particle beams or large mass detectors to uncover the properties of neutrinos and to observe rare processes that involve other elementary particles
- Cosmic Frontier
 - ▶ Use underground experiments and telescopes to study Dark Matter and Dark Energy. Use high energy particles from space to search for new phenomena



Particle Physics Strategies

- Create new particles through high energy collisions
 - ▶ $E = mc^2$
 - ▶ Examples: e^+e^- or hadron colliders
- Scatter particles (beam) from a target to either:
 - ▶ Study structure of the target
 - eg Rutherford scattering or structure of proton
 - ▶ Understand interaction between beam and target
 - eg Study weak neutral current using ν - p scattering
- Study particle decays
 - ▶ Use decay rates and kinematics to either:
 - Understand internal structure (spectroscopy)
 - Study symmetry properties of interactions
 - Confirm detailed SM predictions

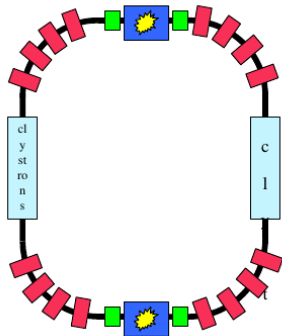
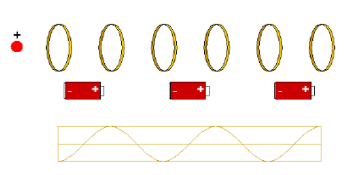
Accelerator vs Non-accelerator Experiments

- Previous slide focused on discussion of beams
 - ▶ Often implies man-made beams from accelerators
- But can also use “beams” from nature
 - ▶ eg ν or Dark Matter particles from outer space
 - or from other man-made sources
 - ▶ eg ν from reactors
- Possibilities also exist for experiments without a beam
 - ▶ eg proton decay
 - ▶ Astrophysical measurements

Today and Thursday, we'll explore how experimental goals and strategies affect detector and accelerator design

Accelerators: Using particle beams to probe the energy and intensity frontiers

- Charged particles “surf” on EM waves produced from RF cavities
- Magnetic fields used to steer the beams



Will discuss how accelerators work in
Thursday's lecture

Fixed Target vs Collider

- Colliding Beams:



$$E_{cm} = \sqrt{4E_1 E_2}$$

- ▶ In center-of-mass
- ▶ All energy available for hard scattering and/or creation of new particles

- Fixed Target:



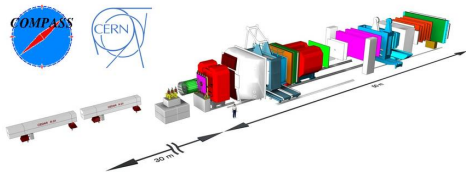
$$E_{cm} = \sqrt{2m_{target} E_{beam}}$$

- ▶ Kinetic energy of final state means less available for producing new particles
- ▶ Variety of targets and beams
 - including beams of unstable particles
 - Larger target mass, higher event rates

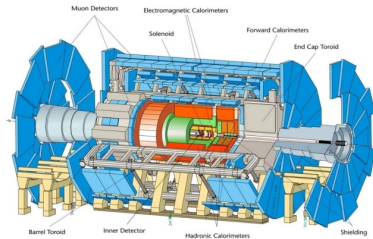
Configuration of multiple detector elements

- Most experiments combine different detector technologies
 - ▶ Each emphasizes different type of measurement
- Geometry determined by type of “beam”:
 - ▶ Collider, fixed target, non-accelerator
- Granularity determined by # particles per event
- Required resolution depends on
 - ▶ Momentum and energy of produced particles
 - ▶ Backgrounds to be rejected
 - ▶ Necessary precision

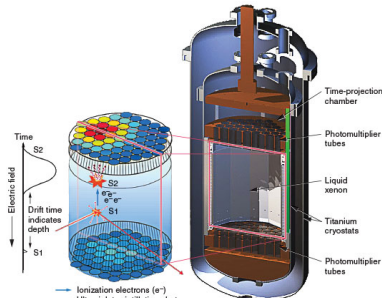
Compass ν experiment (Fixed target)



ATLAS (Collider)



LUX (Underground DM Detector)



Classification of particle detectors: What do we measure?

- Charged Particles

- ▶ Momentum: Determine trajectory in B field
- ▶ Mass: More difficult; Measurement of velocity and momentum
- ▶ Energy: Deposited as particle stops.
 - Energy loss from ionization, bremsstrahlung

Tracking Detectors

- Strongly Interacting Particles (charged or neutral)

- ▶ Energy: Deposited where particle stops
 - Energy loss from nuclear interactions

Calorimeters

- Photons

- ▶ Energy: Pair production followed by ionization

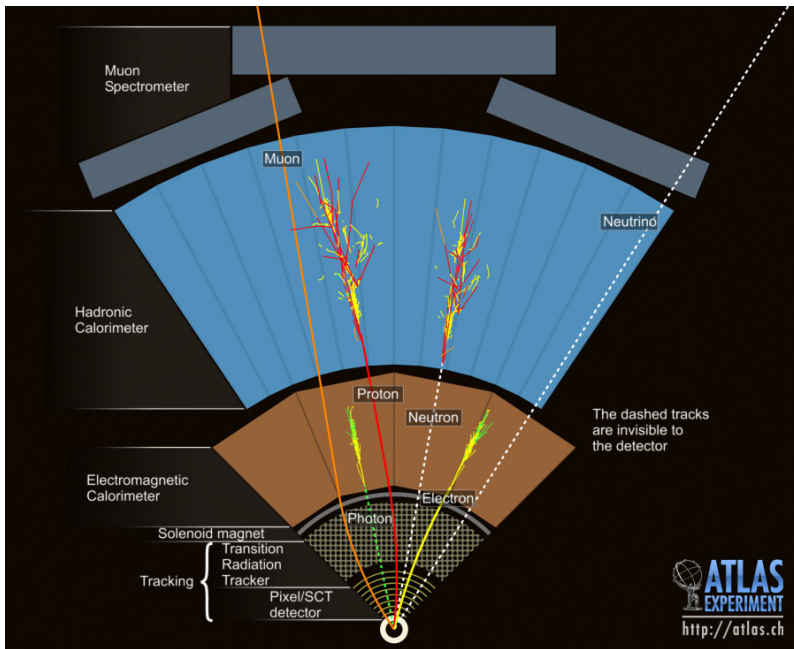
- Muons

- ▶ Momentum: As for other charged particles
- ▶ No nuclear interactions
 - Can pass through lots of matter before stopping
 - Additional tracking detectors after calorimeter

- Neutrinos

- ▶ Often observed by their absence: missing momentum
- ▶ Weak interactions with nucleus, eg $\nu_\mu N^Z \rightarrow \mu^- N^{Z+1}$

How it works:

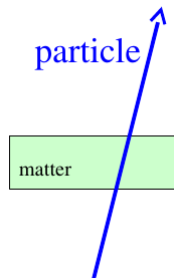


Interaction of particles with matter

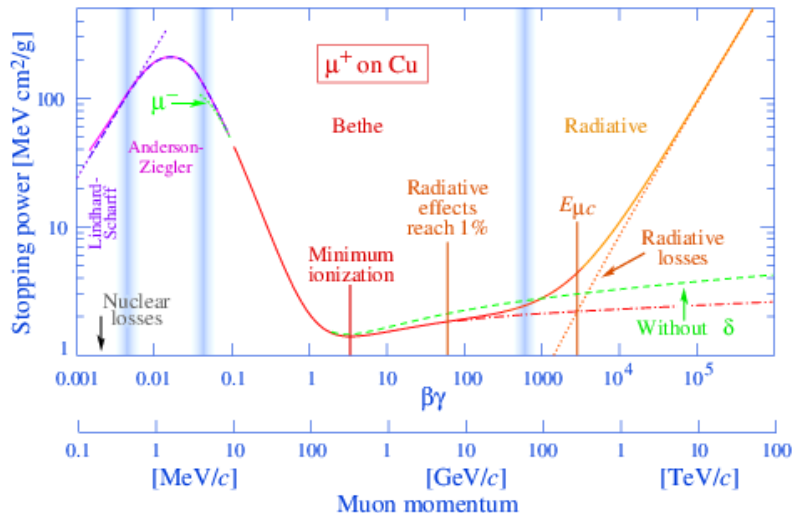
- Except for hadron calorimeters and ν -detectors, particle detection depends on EM interaction of particle with detector element
 - ▶ Even for these exceptions EM interactions dominate detection of secondaries
- Charged particles leave ionization trail
 - ▶ Amount of ionization per unit length depends on velocity
 - ▶ Total ionization produced when particle stops measured from number of ionizing particles produced in “shower”
- Statistical description of ionization energy loss

Charge particle interactions with matter

- Charged particles deposit energy in matter
 - ▶ Ionization
 - Average ionization energy loss (dE/dx)
 - Fluctuations in ionization deposition
 - ▶ Light
 - Scintillation
 - Cerenkov radiation
 - Transition radiation
- Matter affects charged particles
 - ▶ Multiple scattering
 - ▶ Bremsstrahlung



Energy loss in Matter (particles heavier than electrons)



Energy loss at intermediate energies

- Bethe-Block Formula

$$-\frac{dE}{dx} = 4\pi \frac{z^2 \alpha^2}{\beta^2} \frac{Z\rho}{Am_N m_e} \left[\frac{1}{2} \ln \frac{2m_e \beta^2 \gamma^2 T_{\max}}{I^2} - \beta^2 - \frac{\delta}{2} \right]$$

m_e, m_N, α —universal constants:
electron and nucleon masses; fine structure constant;

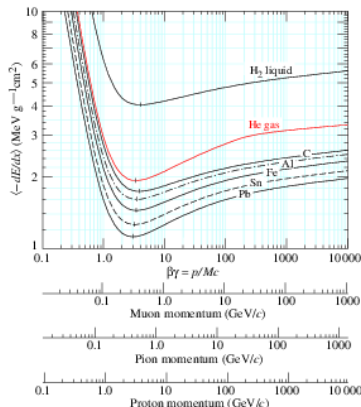
z, β, γ —**incoming particle parameters**:
charge in units of e , velocity $\beta=v/c$, gamma factor)

Z, A, ρ, I —**media properties**:
charge and atomic number, density, average ionization potential

T_{\max} — maximum energy that can be transferred
from an incoming particle of mass m to an electron

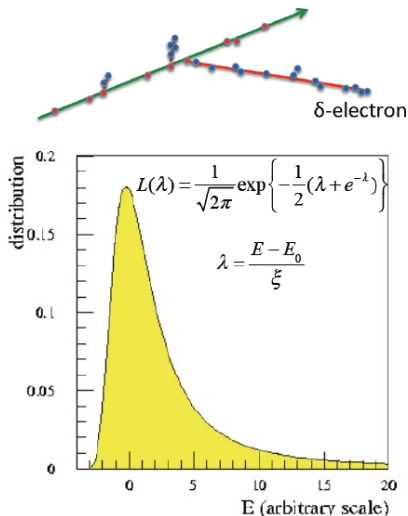
$$T_{\max} = \frac{2m_e \beta^2 \gamma^2}{1 + 2\gamma(m_e/m) + (m_e/m)^2}$$

δ —small correction due to media polarization
(for gasses, it is negligibly small)

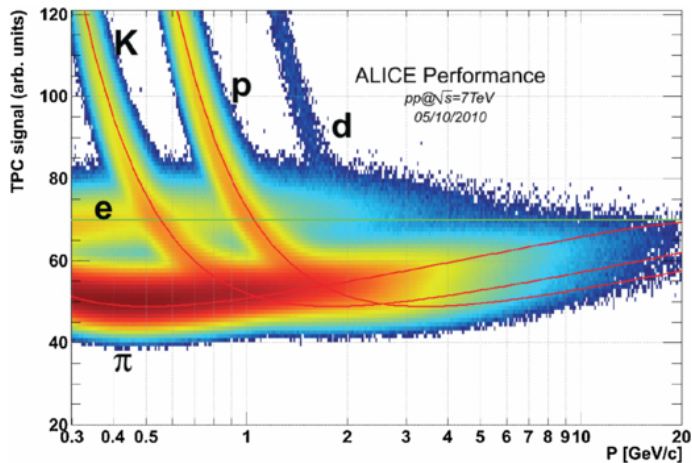


dE/dx fluctuations

- Charged particles ionize the material they traverse
 - ▶ Ionization forms mini-tracks
 - ▶ Most ionization at low energy
 - Electrons stop close to ionization point
 - ▶ Hard long tail called “delta-rays”
 - These can travel some distance
 - ▶ Best measure of dE/dx is truncated mean:
 - Measure energy loss multiple times in thin samples
 - Remove a fixed fraction of the measurements at the high end
 - Take the mean of the rest
 - Unbiased estimator of β



dE/dx for particle identification



- dE/dx depends on $\beta\gamma$ and p : \Rightarrow depends on mass
- Can distinguish between e , π , K , p at low momentum

Multiple Coulomb Scattering

- Rutherford scattering

$$\frac{d\sigma}{d\Omega} = \frac{1}{4} \left(\frac{zZ\alpha}{\beta p} \right)^2 \frac{1}{\sin^4(\theta/2)}$$

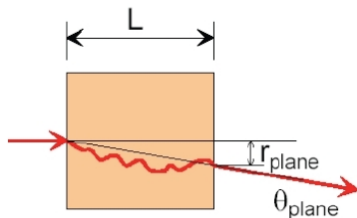
- Random walk: N steps of size d : Total deviation is Gaussianly distributed with width D :

$$D \sim \sqrt{dN}$$

- Resulting angular spread

$$\theta_{rms} = (14 \text{ MeV}) \frac{z}{\beta l} \sqrt{L/X_0}$$

$$r_{rms} = \frac{1}{\sqrt{3}} L \theta_{rms}$$



- where X_0 is the “radiation length” of the material:

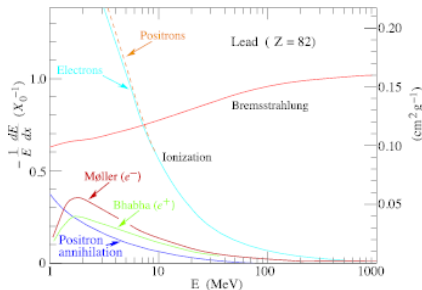
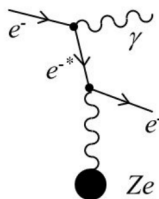
$$\frac{1}{X_0} = Z(Z+1) \frac{\rho}{A} \frac{\ln(287/Z^{\frac{1}{2}})}{716 \text{ g/cm}^2}$$

Bremsstrahlung

- Radiation of photons from charged particles
 - ▶ Can carry away a large fraction of energy
 - ▶ Energy loss increases with incident energy

For electrons $\frac{dE}{dx} = -\frac{E}{X_0}$

- Critical energy
 - ▶ Energy where losses from brem equal those from ionization
 - Electrons: 20 MeV in iron
 - Muons: ~ 1 TeV in iron

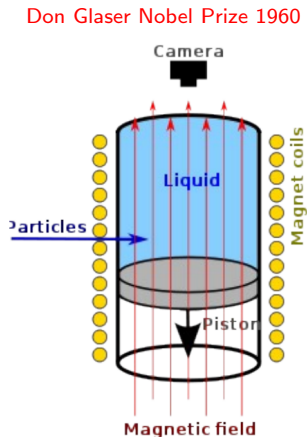


Tracking Detectors

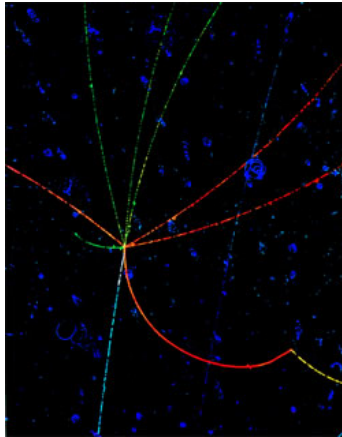
- Tracking Detectors observe and measure the properties of charged particles
- Goal is to determine:
 - ▶ Trajectory
 - ▶ Momentum
 - ▶ (species or mass)
- Often placed in magnetic field; curvature to find momentum
- Often measure ionization trail (although other possibilities as well)
- Combination of tracks originating from one spot can be used to isolate a vertex from interaction or decay of particles

Bubble Chambers

- Large cylindrical tank of liquid heated to just below boiling point
- Piston suddenly descends pressure \Rightarrow liquid in superheated phase
- Charged particles leave ionization track; liquid vaporises around track
 - ▶ Bubbles!
 - ▶ Bubble density proportional to dE/dx
- Drawbacks:
 - ▶ Photographic readout
 - ▶ Difficult to “trigger” on events
 - ▶ Cannot reset quickly



Bubble Chamber Picture of Proton-antiProton Annihilation

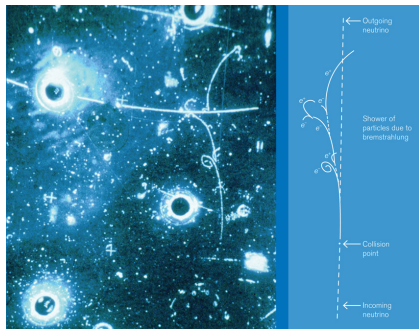


<http://www2.lbl.gov/Science-Articles/Archive/sabl/2005/October/01-antiproton.html>

An antiproton (blue) enters a bubble chamber from bottom left and strikes a proton. The released energy creates four positive pions (red) and four negative pions (green). The yellow streak at the far right is a muon, a decay product of the adjacent pion.

Gargamelle and the Discovery of Neutral Currents

Gargamelle at CERN
Diameter: 2m, Length 4.8m



- Discovery of neutral weak currents in 1973
- Critical for establishing electroweak theory

$$\nu_{\mu} + e^{-} \rightarrow \nu_{\mu} + e^{-}$$

Gaseous Wire Chambers

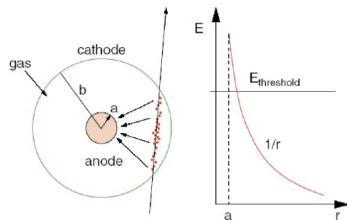
- PC, MWPC, DT, CSC, ...
- Ionization signal in gas leaves
 ~ 100 electrons/cm

▶ Too few to detect

- Solution:

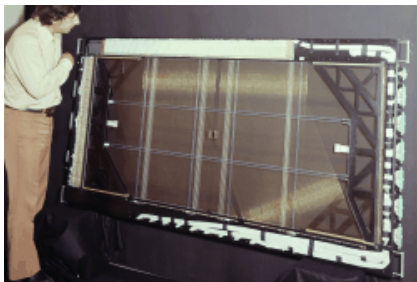
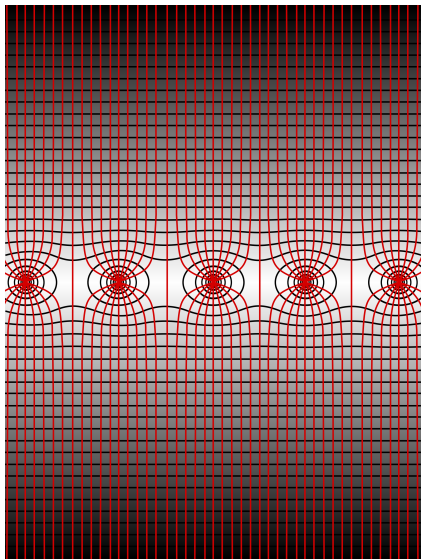
Introduce thin wires (20-100 μm) at positive HV (few kV) for gas multiplication

- ▶ Field $E \sim 1/r$
- ▶ Avalanche develops with overall multiplication (gas gain)
controllable by adjusting voltage



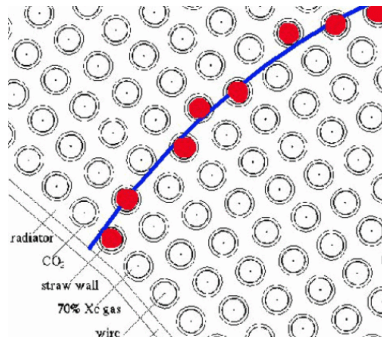
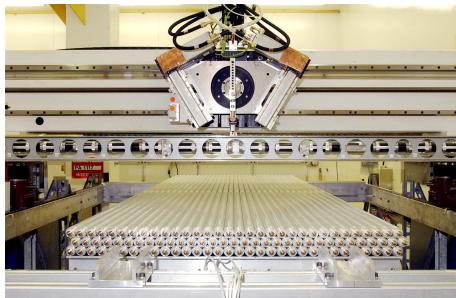
Example: Geiger counter

Multiwire Proportional Chambers



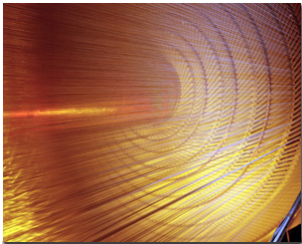
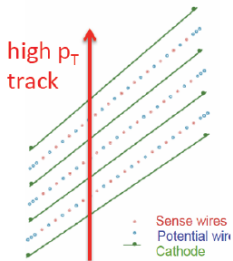
- For many years, a mainstay in HEP experiments
- Position resolution determined by wire spacing (few mm)
- Some chambers have etched pads on the cathode to provide measurement along wire direction

Drift Tubes



- Know when particle goes through detector (t_0)
- Measurement drift time $\Delta t = t - t_0$
 - ▶ Drift distance: $x = f(\Delta t)$
- Typical resolution: 100-200 μm

Multiwire Drift Chambers



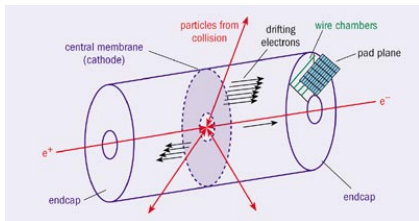
CDF Drift Chamber



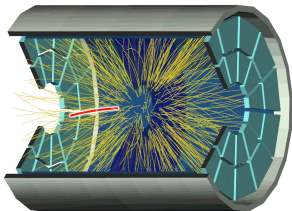
96 radial layers of gold wires spaced
3.9 mm from each other

- Similar to drift tubes but without individual tubes
- Both flat-plane and cylindrical geometries possible
- Can cover large surface areas

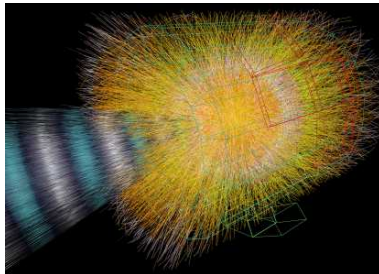
Time Production Chamber (TPC)



STAR TPC



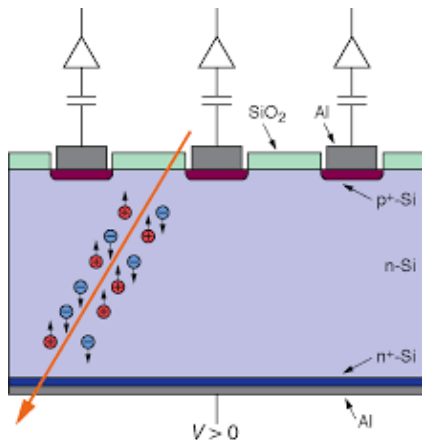
ALICE TPC



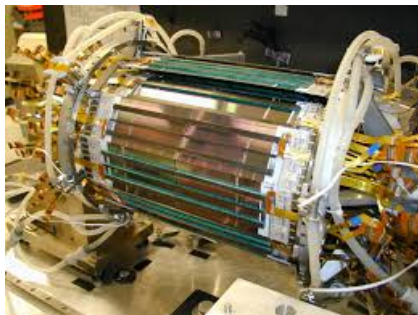
- Long drift distance
- Ionization collected at ends
- Very little material in tracking volume
- Good two-track resolution

Solid State Detectors: Semiconductor Devices

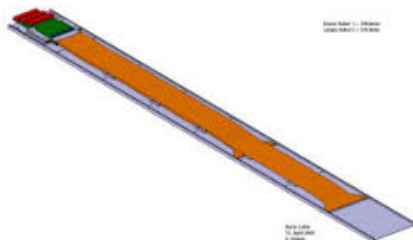
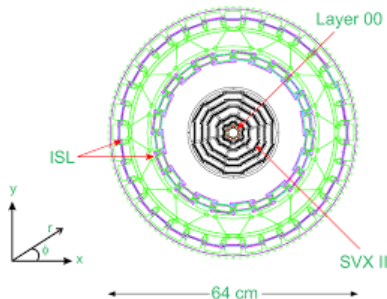
- Inverse potential applied to p-n junction (reverse bias) in Si creates large volume depleted of charge carrier
 - ▶ Semiconductor behaves as insulator with no current flowing
- Ionization (from charged particles traversing sensor) release electron-hole pairs that drift apart and are collected on either side of sensor



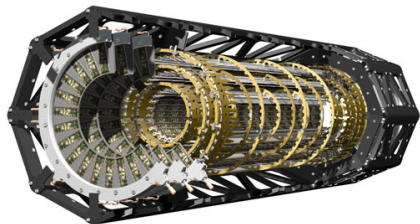
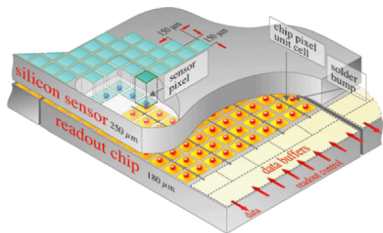
Silicon Strip Detectors



- Strips etched onto silicon wafer
 - ▶ Typical size of wafer: 3cm x 6 cm
 - ▶ Typical strip pitch: 50-100 μm
- One amplifier per strip
 - ▶ Only hit strips sent to data acquisition system



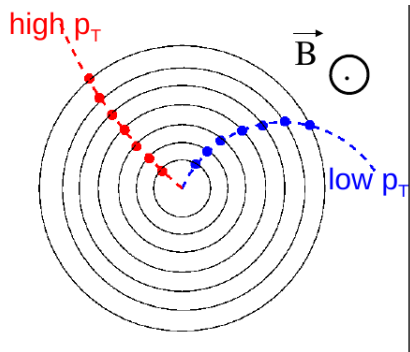
Pixel Detectors: Same idea, more channels



- Instead of long strips, 2D rectangles
- Electronics mounted on top of each pixel
- Example: ATLAS pixel detector
 - ▶ 1744 modules
 - ▶ 80 million pixels
 - ▶ Pixel size: $50\mu\text{m} \times 400\mu\text{m}$
 - ▶ Resolution $10\mu\text{m}$ in bending plane

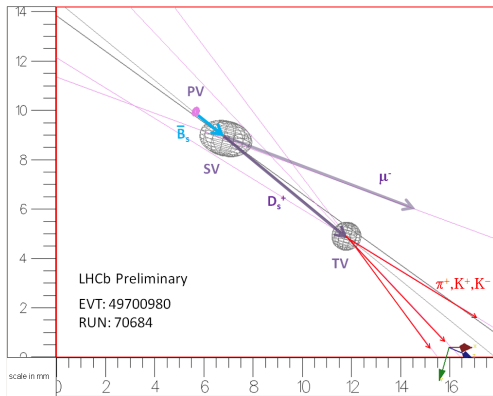
Track Reconstruction

- Charged particles traverse many layers of detectors
- Detectors often placed in magnetic field
 - ▶ Lorentz force $F = qv \times B$
- Hits along trajectory are “fit” to form a track
 - ▶ Deviation from straight line proportional to momentum
 - ▶ Direction of curvature gives sign of charge



$$\frac{\sigma_{p_T}}{p_T} = \sqrt{\frac{720}{N+4}} \frac{\sigma_x}{qBL^2} p_T$$

Vertex Reconstruction



- Extrapolate tracks to common vertex point
- Resolution on measurement of vertex location depends on extrapolation of track trajectory
 - ▶ Good position resolution required
 - ▶ First measurement should be close to beam line
 - ▶ Minimize amount of material